

Lecture Program of "Climate Engineering

Part 1: Introduction to the Climate System (4 sessions)

- 1. Introduction and scope of the lecture
- 2. The Climate System Radiation Balance
- 3. Elements of the Climate System Greenhouse Gases, Clouds, Aerosol
- 4. Dynamics of the Climate System Sensitivity, Predictions

Part 2: Climate Engineering Methods - Solar Radiation Management, SRM

- 1. SRM Reflectors in space
- 2. SRM Aerosol in the Stratosphere
- 3. SRM Cloud Whitening
- 4. SRM Anything else

Part 3: Climate Engineering Methods – Carbon Dioxide Removal, CDR

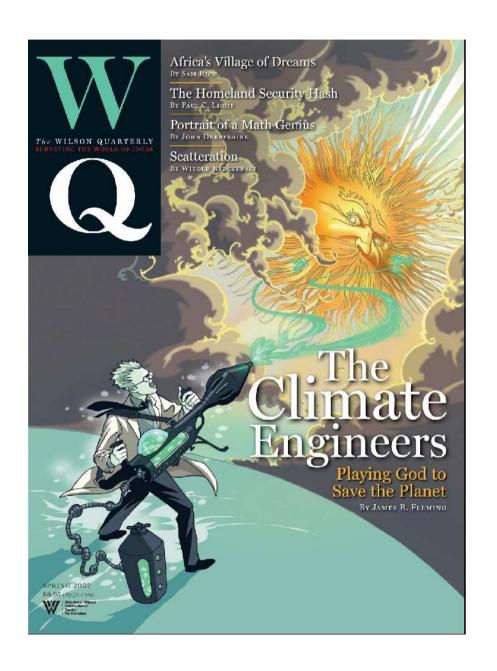
- 1. Direct CO₂ removal from air
- 2. Alkalinity to the ocean (enhanced weathering)
- 3. Ocean fertilization
- 4. Removal of other greenhouse gases

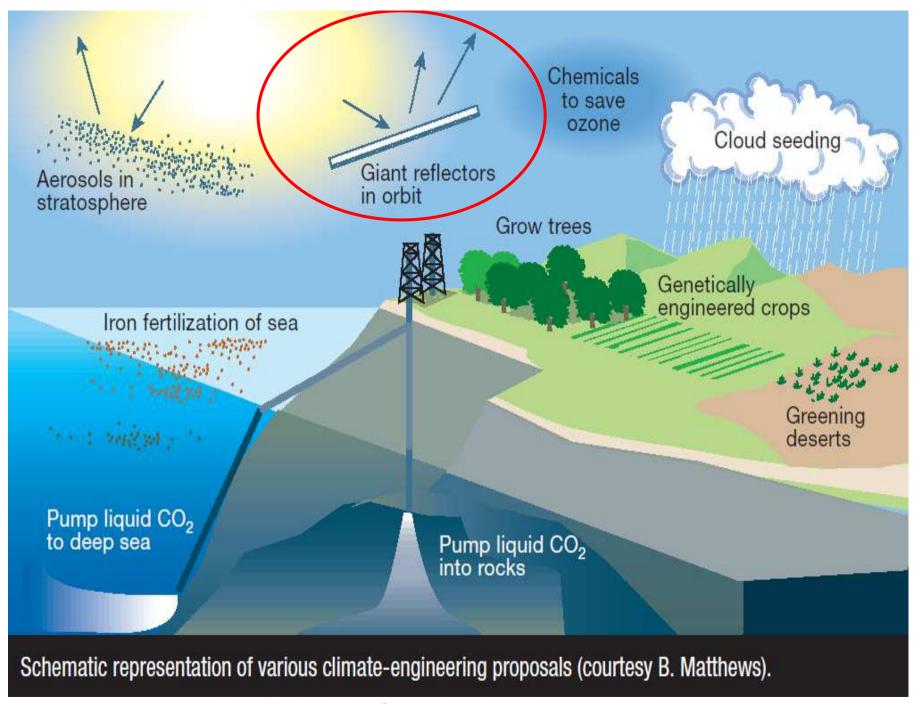
Part 4: CE – Effectiveness, Side Effects (3 sessions)

- 1. Comparison of Techniques, characterisation of side effects
- 2. Other parameters than temperature
- 3. Summary

Contents of Today's Lecture

- Reflectors in space how much shading is needed?
- Low Earth Orbit (LEO)
- The Lagrange Points
- L1-Reflectors
- Transport into space
- Question of cost ...
- Conclusions





Keith, David, 2001: Geoengineering, Nature, 409, 420.

Literature

- Angel R. (2006), Feasibility of cooling the Earth with a cloud of small spacecraft near the inner Lagrange point (L1), *Proc. National Acad. of Sciences USA* **103**(46), 17184-17189.
- Early J.T. (1989), The space based solar shield to offset greenhouse effect. J. Br. Interplanet. Soc. 42, 567–569.
- Govindasamy B. and Caldeira K. (2000), Geoengineering Earth's radiation balance to mitigate CO₂-induced climate change, Geophys. Res. Lett. 27, 2141–2144.
- Kosugi T. (2010), Role of sunshades in space as a climate control option, Acta Astronautica 67, 241–253.
- McInnes C.R. (2002), Space-based geoengineering: Challenges and requirements, J. Br Interplanet Soc. 55, 307–311.
- Pearson J., Oldson J., and Levine E. (2006), Earth Rings for Planetary Environment Control, Star Technology and Research, Inc., Proc. 53rd International Astronautical Congress 10-19 Oct. 2002, Houston, Texas, USA, IAF-02-U.1.01.
- Penn J. and Lindley C.A. (2003), Acta Astronomica 52, 49–75.
- Seifritz W. (1989), Mirrors to halt global warming?, Nature 340, 603.
- Teller E., Wood L., Hyde R. (1997), Global Warming and Ice Ages: I. Prospects for Physics Based Modulation of Global Change. UCRL-231636/UCRL JC 128715. Lawrence Livermore National Laboratory, Livermore, CA, USA.
- Watson R.T., Zinyowera M.C., Moses R.H., Dokken D.J. (1995), Climate change impacts, adaptations and mitigation of climate change: scientific–technical analyses. IPCC, UN Environmental Program/WMO, Cambridge Univ. Press, pp. 799–822. Chap. 25.

Space Sunshades and Climate Change Govindasamy Bala

Springer: Global Environmental Change

Handbook of Global Environmental Pollution Vol. 1, 2014, pp 803-815 (11 Jul 2014)

"Space Sunshades and Climate Change" Govindasamy Bala

Abstract:

The accelerated rate of increase in atmospheric CO₂ concentrations in recent years and the inability of human-kind to move away from carbon-based energy system have led to the revival of the idea of counteracting global warming through geoengineering schemes. Two categories of geoengineering proposals have been suggested: solar radiation management (SRM) and carbon dioxide removal (CDR) methods. SRM schemes would attempt to reduce the amount of solar radiation absorbed by our planet. Placing reflectors or mirrors in space, injecting aerosols into the stratosphere, and enhancing the albedo of marine clouds are some of the proposed SRM methods. In this section, the various space-based SRM methods which are likely to reduce the incoming solar radiation uniformly across the globe are discussed. In the past decade, the effects of these space sunshades on the climate system have been simulated using climate models by reducing the amount of incoming solar radiation by appropriate amounts (reduced solar constant). Key modeling results on the extent of global and regional climate change mitigation, unintended side effects, and unmitigated effects are briefly discussed.

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Bill Freedman (ed.), Global Environmental Change, DOI 10.1007/978-94-007-5784-4_25, © Springer Science+Business Media Dordrecht 2014

Reflectors in Space: How much shading is Needed?

Area of shade, A_S:

$$A_{S} = f \cdot \frac{\pi R_{E}^{2}}{\varepsilon}$$

$$R_F = Radius of Earth$$

$$\varepsilon$$
 = Shading efficiency

$$f = \frac{4 \cdot S_{gh}}{(1 - A) \cdot S_0} = \frac{S_{gh}}{S}$$

$$A = Earth albedo (0.3)$$

$$S_0 = Solar constant (1342 W/m^2)$$

$$A = Earth albedo (0.3)$$

$$S_0 = Solar constant (1342 W/m^2)$$

$$S = S_0/4(1-A) = Solar input$$

How much shading is Needed? - Examples

Example: We whish to offset temperature change due to 2xCO₂:

Primary forcing: 3.7 W/m²

(Note: There will be little or no feedback if we compensate primary forcing)

Incident Radiation on Earth (surface averaged): S₀ ≈ 342 W/m²

minus reflection (A=0.7):

S

 $\approx 239.4 \ W/m^2$

We need to shade an area of: $A_s = 3.7/239.4 * cross section of Earth (<math>\pi R^2$)

 $f \approx 0.0154$

* $1.29 \cdot 10^8 \text{ km}^2 \approx 2 \cdot 10^6 \text{ Km}^2 (\epsilon = 1)$

Assuming a sheet of d = 0.01 mm thickness this would correspond to a volume of $V = A_S \cdot d$

 $\approx 2.10^7 \text{ m}^3$

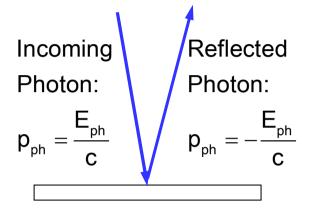
Weight (assuming a density of 5 t/m³) 10⁸ t

≈

Govindasamy and Caldeira 2000 show that the geoengineering schemes

Problem: Radiation Pressure

Reflecting surface (R=1):



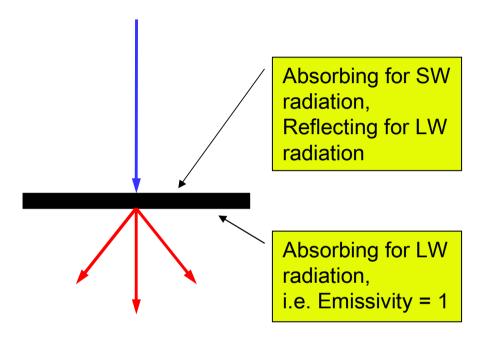
$$\Delta p = 2p_{ph} = 2\frac{E_{ph}}{C}$$

Force:

$$F = \Delta p \cdot \dot{n}_{ph} = 2 \frac{E_{ph}}{c} \cdot \frac{P}{E_{ph}} = 2 \frac{F}{c}$$

for $1 \text{ m}^2 P = 10^3 \text{ W}$,
with $c = 3 \cdot 10^8 \text{ m/s}$:
 $F \approx 6.6 \cdot 10^{-6} \text{ N}$

Absorbing surface (R=0):



$$F = \Delta p \cdot \dot{n}_{\text{ph}} = 2 \frac{E_{\text{ph}}}{c} \cdot \frac{P}{E_{\text{ph}}} = 2 \frac{P}{c} \qquad \Delta p = p_{\text{SWph}} - n \cdot p_{\text{LWph}} = \frac{E_{\text{SWph}}}{c} - n \cdot \frac{E_{\text{LWph}}}{c}$$

$$=\frac{\mathsf{E}_{\mathsf{SWph}}}{\mathsf{C}}-\mathsf{n}\cdot\frac{\mathsf{E}_{\mathsf{SWph}}}{\mathsf{C}}=\mathsf{0}$$

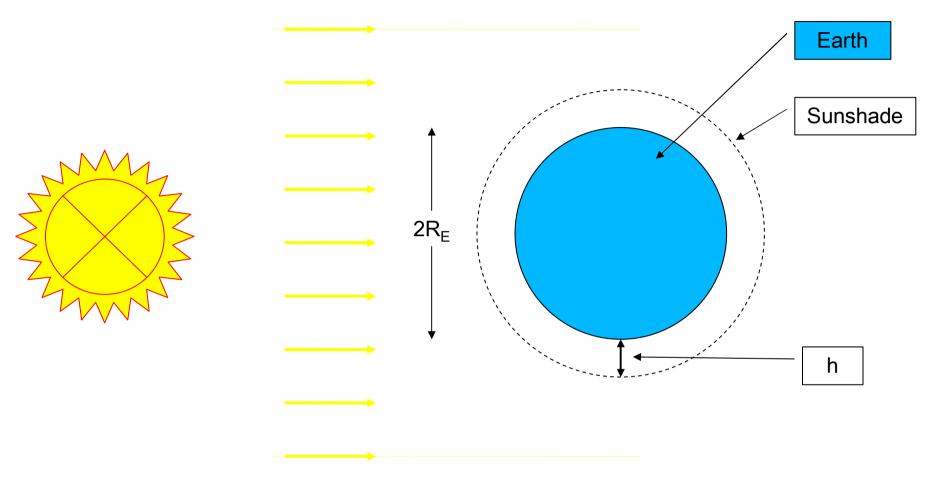
Problem: LWradiation follows Lambertian emission pattern!

Sunshades in Space

Questions:

- Low Earth Orbit (LEO)
- Higher Earth Orbits?
- Lagrange Point (L1)
- Origin of the shading material

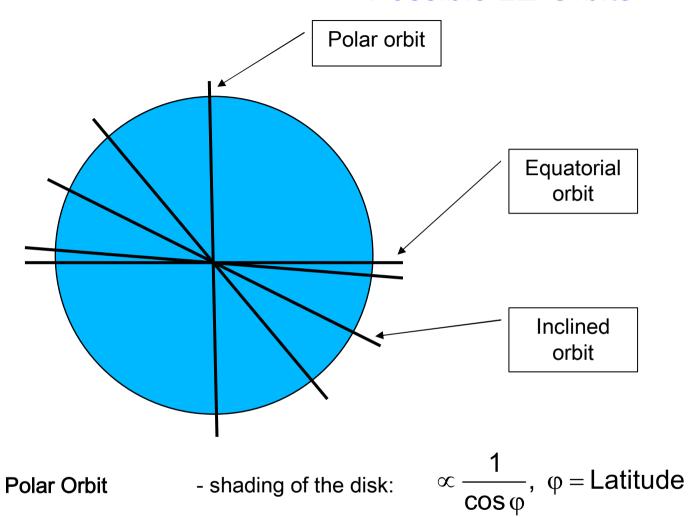
Sunshades in LEO



Shading efficiency:

$$\varepsilon = \frac{2R_E}{2\pi(R_E + h)} = \frac{R_E}{\pi(R_E + h)} \le \frac{1}{\pi}$$

Possible LE-Orbits



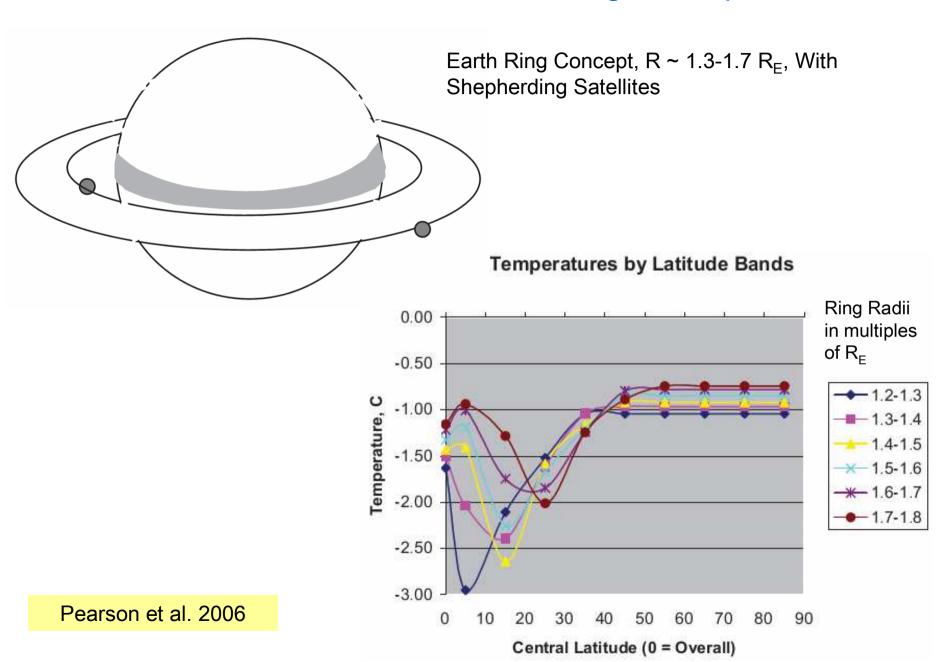
- shading of surface area: Independent of latitude

Inclined orbits (inclination <90°):

Shading limited to latitude band with

 $\varphi < 90^{\circ}$

The Earth Ring Concept



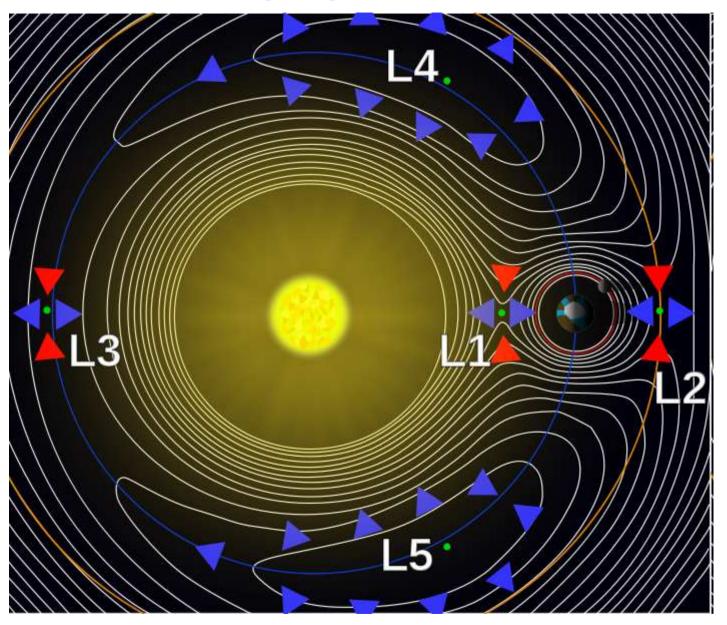
LEO Orbits

- Relatively easy to reach (velocity ≈ 8 km/s)
- Radiation pressure relatively unimportant (gravitational forces about 10⁵ times larger than at L1!)
- Shading efficiency < 0.3
- May endanger space flight by overpopulating near Earth space

Lagrange Points

Contour plot of the effective potential due to gravity and the centrifugal force of a two-body system in a rotating frame of reference.

Arrows indicate the gradients of the potential - downhill toward them (red) or away from them (blue). Counterintuitively, the L4 and L5 points are the high points of the potential. At the points themselves these forces are balanced.

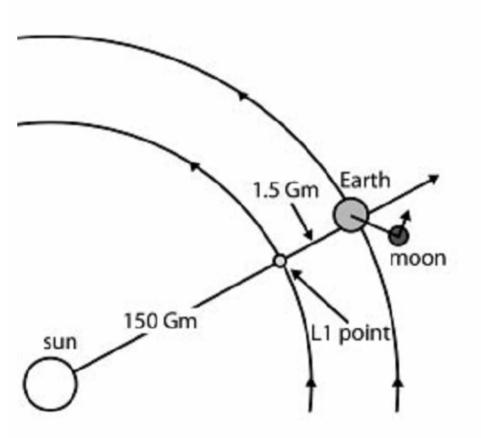


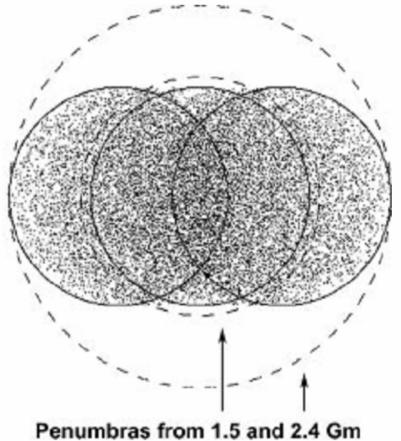
From Wikipedia, the free encyclopedia

Shading at L1

Sun, Earth, Moon, and L1

Earth and Moon rotate around a common centre of gravity, thus Earth "wobbles" around this point.





From: Angel 2006

Shade at L1: Earth "Wobble" and Radiation Pressure

Wobble of Earth leads to a "shading efficiency" ε < 1

Radiation pressure can be compensated by moving the shade further away from Earth (i.e. closer to the sun)

Sunsna de Prope rties

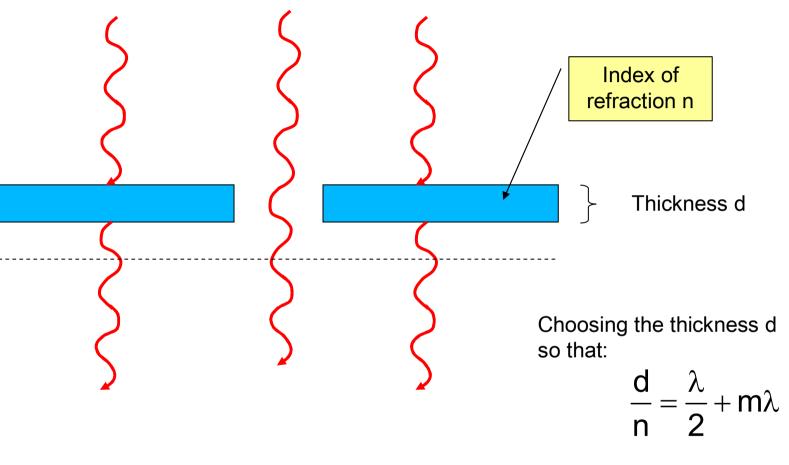
Sunshade properties for 1.8% flux reduction:

- (a) Shadowing efficiency and total area.
- (b) Total mass for different reflectivities R and areal densities ρ_s (x1) in gm⁻²

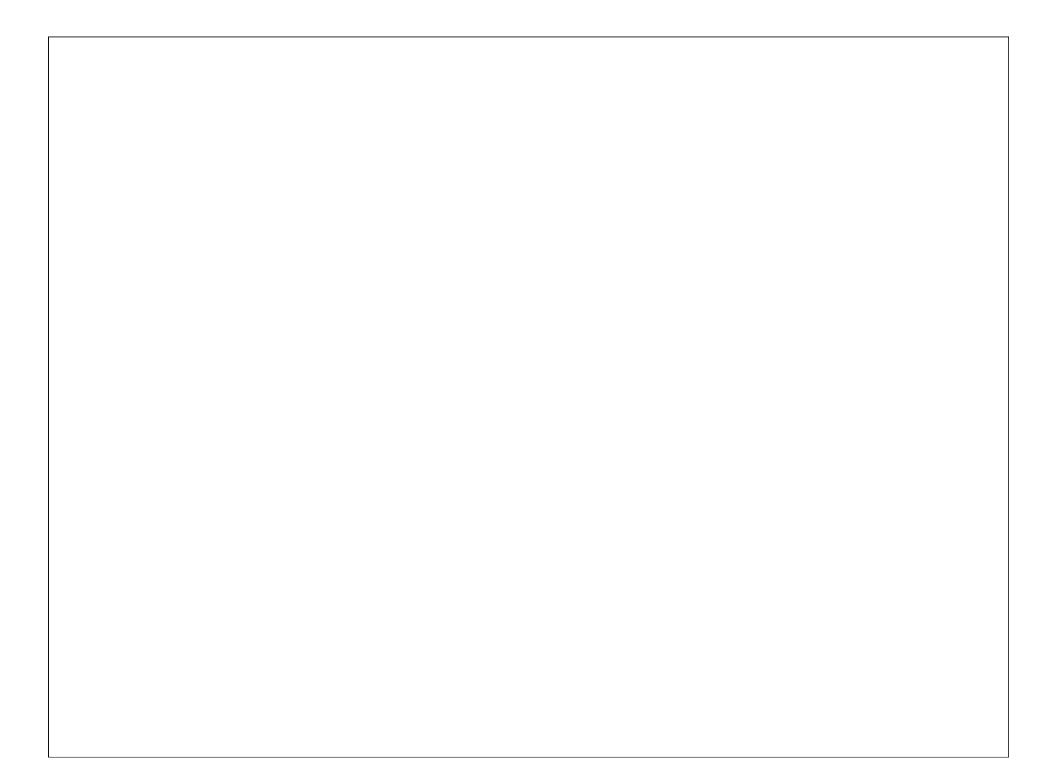
a Area (10°km²) Efficiency Efficienc^{*} b 1000 500 Mass (Millions of Tons) McInnes (1) 200 Early. 100 Mclanes (2 50 20 Baseline Design 10 screen material alone 5 2.0 3.0 1.5 Distance from Earth (Millions of Kilometers)

From: Angel 2006

Reflector Design: Dielectric Sheet with Holes



- \rightarrow Wave front of radiation penetrating shield will be retarded by $\lambda/2$ compared to radiation traversing the hole
- → Destructive interference

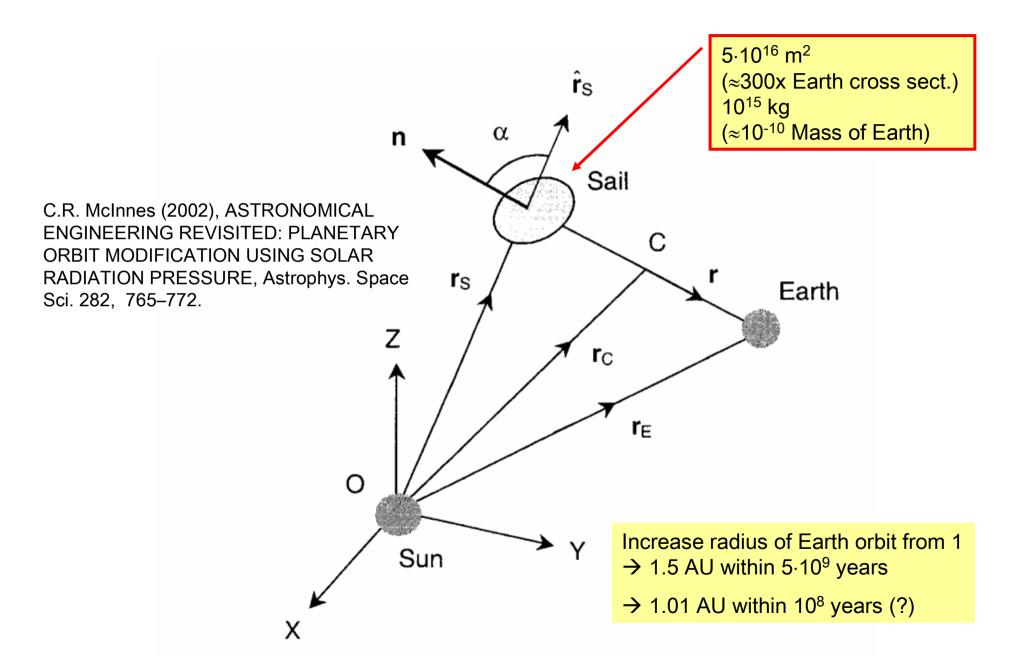


Suggested Space-Shading Schemes

Author	Description	Requirements	Mass, kg	Maintenance				
Earth Orbit Systems								
Mautner, 1991;	Saturn-like particle		3.4×10^{11}	Replenish as				
Pearson et al.,	rings	$R = 1.2 - 1.5 R_e$	2.1×10^{14}	necessary				
2002		$R = 1.3-1.6 R_e$	$2.3x10^{12}$					
NAS, 1992	Orbiting mirrors in	55,000 mirrors,		Uncontrolled;				
	random LEO orbits	$A = 100 \text{ km}^2$		collisions, debris				
Pearson et al.,	Controlled spacecraft	50,000 to 5 million	$5x10^9$	Active control				
2002		spacecraft						
	Solar Orbit Systems							
Early, 1989;	L ₁ lunar glass from	D = 2000 km,	10 ¹¹	Active control				
Mautner, 1991	mass driver	10 μm thick						
Mautner and	L ₁ thin-films	31,000 solar sails,	$5x10^{14}$	Active control				
Parks, 1990		$3x10^{12}$ m ² each						
Hudson, 1991	L ₁ parasol			Active control				
Teller, et al., 1997	L ₁ metallic scattering	D = 638 km	$3.4x10^6$	Active control				
		T = 600 angstroms						
McInnes, 2002	L ₁ metallic reflector	D = 3648 km	$4x10^{11}$	Active control				
	(Other Concepts						
Korycansky et	Move Earth using	150-km object;	10 ¹⁹	Actively moved,				
al., 2001	Kuiper-belt-objects	One encounter every		low delta-V				
		6000 years						
Criswell, 1985	Lower sun's mass to	Remove plasma from	$2x10^{28}$	Continual				
	slow brightening	magnetic poles		spacecraft ops				

Source: Pearson et al. 2006

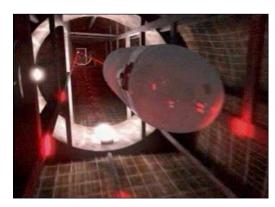
Change Earth-Orbit ??

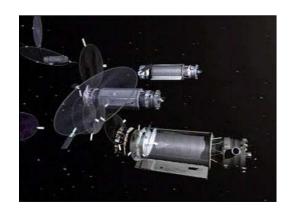


Transport to Space

- Rockets
 - → Only technology, which is actually available today
- Electromagnetic Accelerator
 - → May be developed
- Ion Thruster (space only)
- Space Elevator
 - → Fundamental design problems







Rockets

The "Rocket Equation":

$$v = v_e \cdot ln \left(\underbrace{\frac{M_0}{M_0}}_{\text{Mass Ratio}} \right)$$

Assumption: Fuel is burned, the released energy is used to "exhaust" the cobustion products.

 M_0 = Initial mass of the rocket (e.g. at launch)

M = Final mass of the rocket (after all fuel is burned), i.e. the weight of the rocket structure

V_e = velocity of exhausted gas

Typical exhaust gas velocities v_e for rocket engines burning various propellants are:

- 2.9 to 4.5 km/s for liquid bipropellants
- 2.1 to 3.2 km/s for solid propellants \rightarrow 2.5 4.0 km/s

$$\frac{v}{v_e} = \ln \left(\frac{M_0}{M_0} \right) \Leftrightarrow \frac{M_0}{M} = e^{\frac{v}{v_e}} = \text{"Mass Ratio"}$$

$$e^{\frac{v}{v_e}} \approx 7.4 \dots 24.5$$
 [Low Earth Orbit : $v_1 \approx 8 \text{ km/s}$] $\approx 16.4 \dots 88.2$ [Escape Velocity : $v_2 \approx 11.2 \text{ km/s}$]

Mass Ratios M₀/M >10 are difficult to reach

→ multi-stage rockets

Example Ariane 5 ECA

Initial mass: 760-780 t

Height: 56 m

Payload (LEO): 21 t

Initial thrust: 12.5 MN

Main stage (EPC H158 modified):

Initial mass: $M_0 = 170.5 \text{ t}$ Empty mass: M = 12.5 tExhaust velocity: $v_e = 4320 \text{ m/s}$ Thrust (ground) Fg = 0.815 MN

Solid fuel booster (EAP P241)

Initial mass: $M_0 = 273 \text{ t}$ Empty mass: M = 33 t

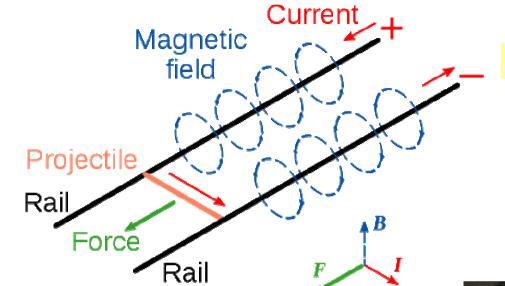
Exhaust velocity: ve = 2692 m/s Thrust (ground) $F_g = 5.06 MN$ Average mass ratio:

no payload: 716/78.5 ≈ 9.1

20t payload: 736/98.5 ≈ 7.5



Rail Guns



Source: Wikipedia

$$B = \frac{\mu_0 I}{4\pi} \left(\frac{1}{x} + \frac{1}{d-x} \right) \underset{x=d/2}{\approx} \frac{\mu_0 I}{d\pi}$$

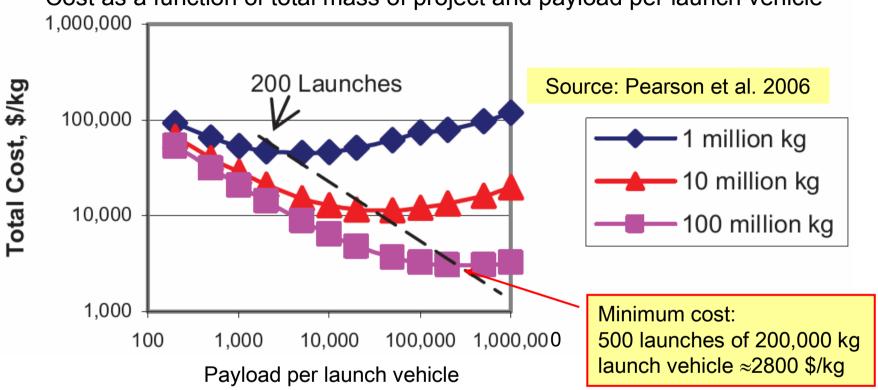
Force:

$$F = IdB \approx \frac{\mu_0 I^2}{\pi} \approx 4 \cdot 10^{-7} \cdot I^2 \frac{N}{A^2}$$



The Question of Cost

Cost as a function of total mass of project and payload per launch vehicle



→ Lowest cost at about 200-500 launches

Example: 1.8% shading in LEO at 1 μ m thickness and ϵ =0.3 \rightarrow 3·10⁷ t (or 3·10¹⁰ kg) total mass \rightarrow total cost: \approx 10¹⁴ \$ (500,000 billion \$)

Cheaper Solutions?

Cost of different launch techniques (LEO):

	Unit Cost o	f Material La	unching,	
Launch Technique	\$/kg			
	Earth	Moon	Asteroids	
Conventional Rockets	1,000-3,000	100-1,000	-	
EM or Gun Launch Plus Orbiting Tether	100-500	24	-	
Ion Rockets	_	_		
Rotating Space Tethers	_	10-100	1-10	
Electromagnetic (EM) Mass Drivers	-	10-100	25	

Source: Pearson et al. 2006

Evaluation of Space-Borne Shades

Technology	Maturity ^a	Potential effectiveness ^b	Cost factors ^c	Potential consequences ^d
Scatterers or reflectors in space Earth orbit Deep space	Basic principles understood and reported System concepts proposed, but proof of concept not demonstrated	Potentially fully effective: • Spacecraft's limited lifetime	 Design, fabrication, testing, acquisition, and deployment of a fleet of millions to trillions of reflecting or scattering spacecraft Launch vehicle Infrastructure and operation Estimates in the scientific literature vary significantly: an estimate of \$1.3 trillion and an estimate of less than \$5 trillion 	 Earth-orbit technologies: A cool band in the tropics with unknown effects on ocean currents, temperature, precipitation, and wind A multitude of bright "stars" is the morning and evening that would interfere with terrestrial astronomy Deep-space technologies: Annual average tropical temperatures a little cooler Annual average higher latitude temperatures a little warmer Small reduction of annual global precipitation

Source: Climate engineering, Technical status, future directions, and potential responses Center for Science, Technology, and Engineering United States Government Accountability Office, GAO, July 2011, GAO-11-71

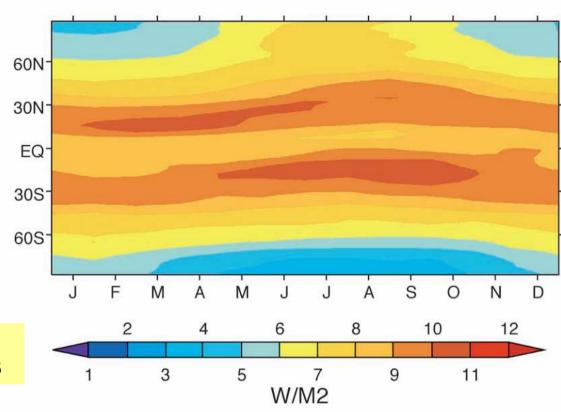
SW versus LW

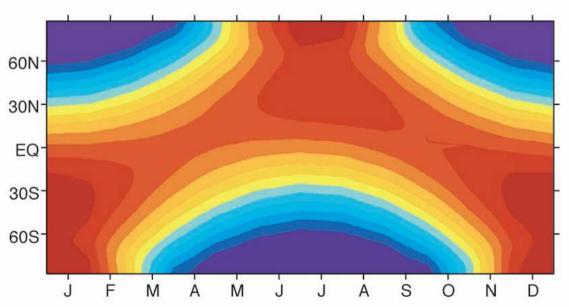
Change in net long-wave radiative flux at the tropopause when CO_2 is quadrupled with respect to the Control case (in Wm⁻²), zonally averaged as a function of time of year.

Govindasamy et. al. Global and Planetary Change 37 (2003) 157–168

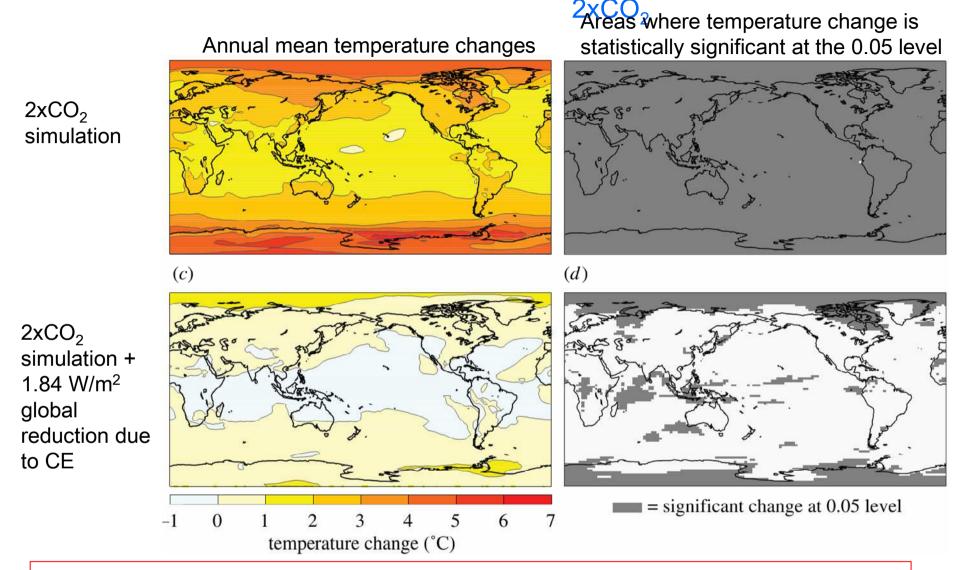
Reduction in incoming solar radiation (due to shading) needed to compensate forcing due to $4xCO_2$.

→ Change in solar radiation has a latitudinal and seasonal pattern markedly different from the radiative forcing of CO₂





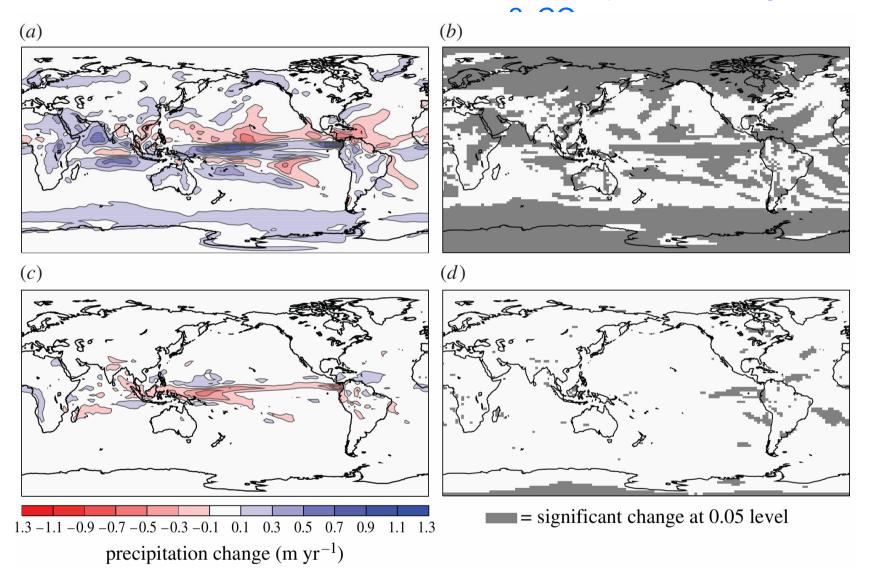
Model Calculations of the Temperature change for



→ This idealized climate engineering simulation indicates that relatively simple climate engineering may be able to diminish temperature changes in most of the world.

CALDEIRA K. and WOOD L. (2008), Global and Arctic climate engineering: numerical model studies, Phil. Trans. R. Soc. A, doi:10.1098/rsta.2008.0132.

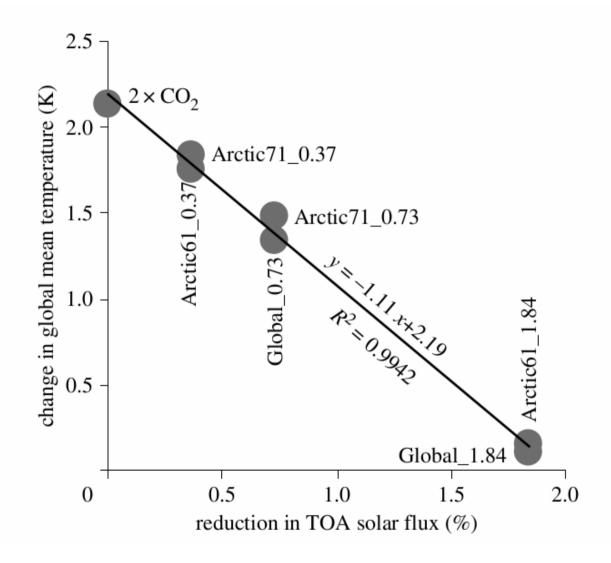
Model Calculations of the Precipitation Change for



Annual mean precipitation changes in the (a,b)2xCO2 and (c,d) Global 1.84 simulations. Shown are precipitation changes from the 1xCO2 cases (a,c) and areas where the temperature change is statistically significant at the 0.05 level (b,d). This idealized climate engineering simulation indicates that relatively simple climate engineering is likely to be able to diminish precipitation changes in most of the world.

Temperature Change vs. Insolation Reduction

Change in global annual mean temperature as a function of percentage of reduction in the top-of-atmosphere insolation. Despite large differences in the spatial extent of the insolation reduction, the global mean temperature response is similar.



CALDEIRA K. and WOOD L. (2008), Global and Arctic climate engineering: numerical model studies, Phil. Trans. R. Soc. A, doi:10.1098/rsta.2008.0132.

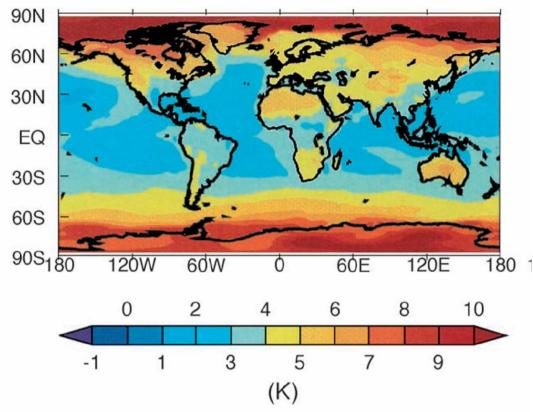
Changes
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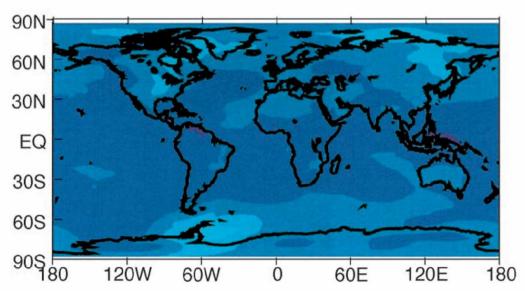
Surface temperature changes for the 4xCO₂ simulation

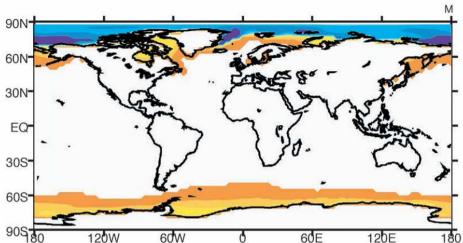
Govindasamy et. al. Global and Planetary Change 37 (2003) 157–168

Surface temperature changes for the "Geoengineered" 4xCO₂ simulation.

Although solar radiation has a spatial pattern greatly different to that of radiative forcing due 4xCO₂, a reduction in solar forcing largely compensates the temperature response to CO₂ quadrupling.







4.5

3.5

3

2.5

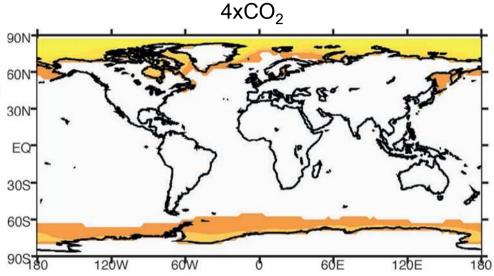
1.5

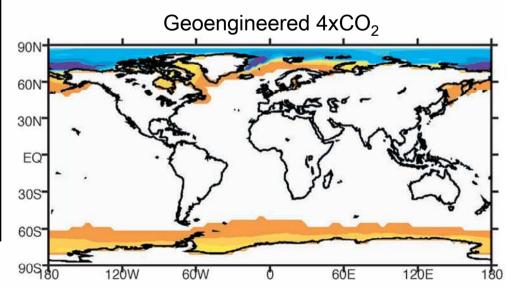
0.5

(meters)

Effect on Sea Ice

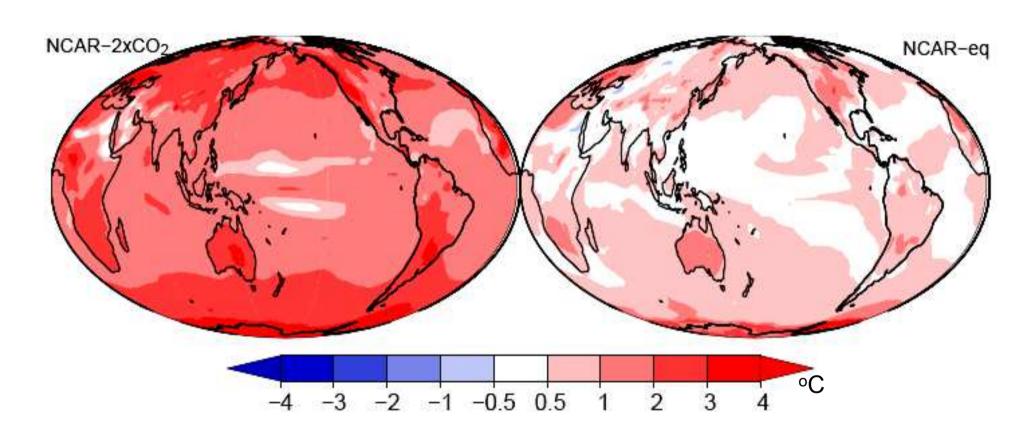
Annual mean sea ice thickness in the Control (top panel), "4xCO₂" (middle panel) and "Geoengineered 4xCO₂" (bottom panel) simulations. The reduction in solar forcing in "Geoengineered 4xCO₂" simulation largely compensates the decrease in sea ice thickness and area coverage in the "4xCO₂" simulation.





Govindasamy et. al. Global and Planetary Change 37 (2003) 157–168

Consequences of CE Offseting 2xCO₂ on the Global Temperature Distribution



Leverage Factor for Space Reflectors

We assume 10^8 t of reflector weight for counteracting 3.7 W/m^2 (CO₂ – doubling, from 280 ppm pre-industrial to 560 ppm) CO₂-Mass (additional 280 ppm): 2237 Gt

Rocket mass from Earth: 100 – times larger

 \rightarrow 10¹⁰ t

Assumed Lifetime: 100 years

→ 10⁸ t/year or 100 Mt/year

$$R_{Lev} = \frac{2237 \, Gt}{100 \, Mt} \approx 2.24 \cdot 10^4 \, per \, year$$

Summary

- Space-borne reflectors are possible in principle
- LEO and L1 are particular options with specific advantages and disadvantages
- Design of lightweight reflectors is a challenge
- With present technology costs are prohibitive
- Future yet totally unproven technology may make this CE-option more economic
- Lifetime (decades) is in an unfortunate range: Too long in case side effect of this CE-measure should prove to be severe, too short to make it economic